Exercise 6.1-1

Shuffling Fermi Functions

"Shuffling" Fermi distributions, while not really difficult, needs some practice and getting used to; it is good exercise to do it a few times (you may also consider to try it for some <u>shuffling</u> done before).

Show that the **1st** laser condition

$${\it E_F}^e - {\it E_F}^h \ge h v \ge {\it E_g}$$

follows directly from

$$\frac{R_{se}}{R_{fa}} = \frac{[f_{e \text{ in } C}(E_{1} + h\nu, E_{F}^{e}, T)] \cdot [f_{h \text{ in } V}(E_{1}, E_{F}^{h}, T)]}{[1 - f_{h \text{ in } V}(E_{1}, E_{F}^{h}, T)] \cdot [1 - f_{e \text{ in } C}(E_{1} + h\nu, E_{F}^{e}, T)]}$$

Link to the solution